 In geometry, a rotation is a change in $\qquad$ .

A rotation NOT a change $\qquad$ and a rotation is not a $\qquad$ .

## - Types of Rotations

There are two types of rotations:


## - Degrees of Rotations

Since rotations move in a circular direction, rotations are measured in degrees ranging from zero to $\qquad$ .


Negative rotations move in a clockwise direction.


Positive rotations move in a counter-clockwise direction.

- Notation: A rotation of a figure is a $\qquad$ movement around a fixed point.


Example: This notation denotes a rotation of positive 90 degrees.

## COUNTER-CLOCWISE ROTATIONS

> Example 01:
Perform the following rotation on point C: $\boldsymbol{R}_{90}$
You have to rotate the point $\qquad$ degrees in a $\qquad$ direction.


> Example 02:
Perform the following rotation on point C: $\boldsymbol{R}_{180}$
You have to rotate the point $\qquad$ degrees in a $\qquad$ direction.



## > Example 03:

## Perform the following rotation on point c: $\boldsymbol{R}_{\mathbf{2 7 0}}$

You have to rotate the point $\qquad$ degrees in a $\qquad$ direction.



## Counter-Clockwise Rotation Rules:



## CLOCWISE ROTATIONS <br> Example 01:

Perform the following rotation on point D: $\boldsymbol{R}_{\mathbf{-}} \mathbf{9 0}$
You have to rotate the point $\qquad$ degrees in a $\qquad$ direction.


> Example 02:
Perform the following rotation on point D: $\boldsymbol{R}_{-180}$
You have to rotate the point $\qquad$ degrees in a $\qquad$ direction.


> Example 03:
Perform the following rotation on point D: $\boldsymbol{R}_{-270}$
You have to rotate the point $\qquad$ degrees in a $\qquad$ direction.


$$
D^{\prime}(\square, \quad \text { _ }
$$

## Clockwise Rotation Rules:


$\xrightarrow{R\left(P^{0}(-y, x)\right.}$

## Rotate a Line Segment

## - Example 01:

Construct the image of $\overline{E^{\prime} F^{\prime}}$ after a clockwise rotation of 90 degrees about the origin.
$P \square$


E'
F' (_ $\qquad$

## Rotate a Figure

## > Example 01:

Perform the following transformation on $\triangle L M K$ :
$\boldsymbol{R}_{180}$



